Content Standard		MAFS.4.NF Numbers and Operations – Fractions		
		MAFS.4.NF.1 Extend understanding of fraction equivalence and ordering.		
		MAFS.4.NF.1.1 Explain why a fraction $\frac{a}{b}$ is equivalent to a fraction $\frac{(n \times a)}{(n \times b)}$ by using		
		visual fraction models, with attention to how the number and size of the parts differ even though the two fractions themselves are the same size. Use this principle to recognize and generate equivalent fractions.		
Assessment Limits		Denominators limited to: 2, 3, 4, 5, 6, 8, 10, 12, 100. For denominators of 10 and 100, focus should not be on equivalence between these 2 denominators, since this is addressed specifically in standards MAFS.4.NF.5 – 7, but should be more on equivalence between fractions with denominators of 2, 4,		
		and 5, and fractions with denominators of 10 and 100, e.g., $\frac{1}{2} = \frac{5}{10}$, $\frac{2}{5} = \frac{40}{100}$, etc. Refer to the same whole, including in models. Fraction models are limited to number lines, rectangles, circles, and squares. (The		
		focus should not be on complex visual models.)		
		Fractions $\frac{a}{b}$ can be improper fractions and students should not be guided to put		
		fractions in lowest terms or to simplify.		
		Equivalent fractions also include fractions $\frac{1 \times a}{1 \times b}$.		
Calculato	r	No		
Acceptab	le	Equation Response		
Response	2	Graphic Response – Drag and Drop, Hot Spot		
Mechanisms		Multiple Choice Response		
		Multi-Select Response		
		Natural Language Response		
		Matching Item Response		
Context	Allowable			
Context	Example			
	of 8 or 12,	clude fractions and fractions represented by models to equivalent fractions with denominators 8 or 12, and also may include fractions/models with denominator of 2, 3, 4, and/or 6.		
Context		fraction and fraction represented by models to equivalent fractions with denominators of		
easier		3, 4, and 6.		
Context	Include ec	uivalent fractions or equivalent fractions represented by models with denominators		
more	of 5, 10, and/or 100, and also may include fractions/models with denominator of 2, 3, 4, 5, 8,			
difficult	and/or 12.			

Grade 4 Mathematics Item Specifications Florida Standards Assessments

Sample Item Stem	Response Mechanism	Notes, Comments
Kari modeled a fraction by shading	Graphic Response –	
parts of the circle as shown.	Hot Spot	
Kari's Fraction Model		
Select sections to model a fraction equivalent to Kari's fraction.		
Which fraction is equivalent to $\frac{2}{3}$?	Multiple Choice Response	
[Options are limited to fractions with denominators of 2, 3, 4, or 6.]		
Kari modeled a fraction by shading parts of the circle as shown.	Multi-Select Response	
Kari's Fraction Model		
Select all models that have been shaded to represent fractions equivalent to Kari's fraction.		
[Five equal-sized models are options, with denominators limited to 2, 3, 4, 6, 8, or 12.]		

Which fraction is equivalent to $\frac{2}{3}$?	Multi-Select Response	
$\circ \frac{4}{9}$		
$O = \frac{4}{6}$		
$\circ \frac{6}{8}$		
$O = \frac{8}{12}$		
$O = \frac{3}{4}$		
Kari modeled a fraction by shading parts of the circle as shown.	Graphic Response – Hot Spot	
Kari's Fraction Model		
Select all the models that have been shaded to represent fractions equivalent to Kari's fraction.		
Create two fractions that are equivalent	Equation Response	
to $\frac{2}{3}$.		
Enter one fraction in each response box.		

Kari has two fraction models, each	Natural Language	
divided into equal-sized sections. The models are shaded to represent the same fraction.	Response	
Model A is divided into 8 sections, and 5 sections are shaded.		
Model B is divided into 12 sections.		
What do you know about the number of sections shaded in Model B? Explain your answer.		
Corey tried to find a fraction equivalent	Multiple Choice	
to $\frac{3}{r}$. His work is shown.	Response	
$\frac{3}{5} = \frac{3}{5} \times \frac{1}{2} = \frac{3}{10}$		
Which statement describes Corey's error?		
A. He incorrectly multiplied $\frac{3}{5}$ and $\frac{1}{2}$.		
B. It is impossible to find a fraction equivalent to $\frac{3}{5}$.		
C. He should have divided by $\frac{1}{2}$.		
D. He did not multiply $\frac{3}{5}$ by a fraction equal to 1.		